

# Strike Fighters 2 Flight Dynamic Model

That's my attempt at reconstructing the SF2 FDM. It's mostly based on information I found at the TW forum.

Beware: I don't have an aerodynamic engineering background. So use the information at your own risk!

Mue

## Aircraft Data

Aircraft data	Ini entry	Description
$S$	ReferenceArea	Reference wing area
$b$	ReferenceSpan	Reference wing span
$\bar{c}$	ReferenceChord	Reference wing chord

## Coefficients

Coefficient	Ini entry	Factor Table	Description
$C_{L0}$	CL0	Mach	Lift coefficient at zero alpha
$C_{Lmax}$	CLmax	No	Maximum lift coefficient (at alpha max)
$C_{D0}$	CD0	Mach	Drag coefficient at zero lift (or alpha?)
$C_{DL}$	CDL	Alpha	Drag coefficient due to lift
$C_{Dstall}$	StallDrag	Alpha	Drag coefficient at stall
$C_{mstall}$	StallMoment	No	Pitch moment coefficient at stall
$C_{L0}$	CL0	Mach	Lift coefficient at zero alpha

## Derivatives

Derivatives	Ini entry	Factor Table	Description
$C_{L_\alpha}$	CLa	Mach	Lift coefficient due to Alpha (lift curve slope)
$C_{m_q}$	Cmq	No	Pitching moment due to pitch rate (pitch damping)
$C_{m_\alpha}$	Cmad	No	Pitching moment due alpha rate (aero interaction between wings and horiz tail)
$C_{Y_b}$	Cyb	?	Side force due to beta
$C_{Y_p}$	Cyp	?	Side force due to roll rate

<b>Derivatives</b>	<b>Ini entry</b>	<b>Factor Table</b>	<b>Description</b>
$C_{Y_r}$	Cyr	?	Side force due to yaw rate
$C_{l_b}$	Clb		Roll moment due to sideslip
$C_{l_p}$	Clp		Roll moment due to roll rate (roll damping)
$C_{l_r}$	Clr		Roll moment due to yaw rate
$C_{n_b}$	Cnb		Yaw moment due to sideslip
$C_{n_p}$	Cnp		Yaw moment due to roll rate
$C_{n_r}$	Cnr		Yaw moment due to yaw rate (yaw damping)
$C_{L_{\delta_c}}$	CLiftdc		Lift due to control surface deflection
$C_{D_{\delta_c}}$	CDdc		Drag due to control surface deflection
$C_{y_{\delta_c}}$	Cydc	Alpha, Mach	Side force due to control surface deflection
$C_{l_{\delta_c}}$	Cldc	Alpha, Mach	Roll moment due to control surface deflection
$C_{m_{\delta_c}}$	Cmdc		Pitch moment due to control surface deflection
$C_{n_{\delta_c}}$	Cndc	Alpha, Mach	Yaw moment due to control surface deflection

## Other Parameter

<b>Parameter</b>	<b>Ini entry</b>	<b>Factor Table</b>	<b>Description</b>
$\alpha_{stall}$	AlphaStall	No	Alpha at which stall starts
$\alpha_{max}$	AlphaMax	No	Alpha with maximum lift
$\alpha_{depart}$	AlphaDepart	No	Alpha where departure starts
$\Delta\alpha_{stall}$	DeltaStallAlpha	No	Increase in max angle-of-attack before stall
$X_{ac}$	Xac	Mach	X-location of aerodynamic center
$Y_{mac}$	Ymac	No	X-location of mean area chord
?	AreaRatio	?	?
?	Chord	?	?

## Tables

Parameter	Ini entry	Description
$f_{Xac}(M)$	XacMachTable*	X position of aerodynamic center
$f_\epsilon(\alpha)$	DownwashAlpha*	Downwash angle
$f_{StallLift}(\alpha)$	StallLiftTable*	Modifier factor for lift coefficient (in stall)
$f_{StallDrag}(\alpha)$	StallDragTable*	Modifier factor for drag coefficient (in stall)
$f_{StallXacShift}(\alpha)$	StallXacShiftTable*	Shift of aerodynamic center (in stall)

## Modifier Factor Tables

Parameter	Ini entry	Description
$f_{C_{L0}}(M)$	CL0MachTable*	Modifier factor for Lift coefficient dependent on Mach
$f_{C_{La}}(M)$	CLaMachTable*	Modifier factor for Lift slope dependent on Mach
$f_{C_{D0}}(M)$	CD0MachTable*	Modifier factor for Drag (zero lift) coefficient dependent on Mach
$f_{C_{DL}}(\alpha)$	CDLAlphaTable*	Modifier factor for Drag (due to lift) coefficient dependent on Alpha
...	...	...

Most coefficients and derivatives are modified by a factor read from Mach and/or Alpha tables if those are defined. E.g. in the formulas below

- $C_{L0}$  has to be multiplied by  $f_{C_{L0}}(M)$
- $C_{L_a}$  and  $C_{L_{max}}$  has to be multiplied by  $f_{C_{La}}(M)$
- ...

## Input Parameters

Parameter	Ini entry	Description
$\alpha_{frl}$	-	alpha measured to fuselage reference line
$\beta$	-	sideslip angle beta
$\delta$	-	control surface deflection
$V_T$	-	free stream air velocity
$\rho$	-	free stream mass density (standard atmosphere model?)

In the formulas below **local** alpha is used:

$$\alpha = \alpha_{frl} - f_\epsilon(\alpha_{frl})$$

**Question: Lift and drag direction based on local alpha, i.e. rotated with downwash alpha?**

If the component has HIGHLIFT\_DEVICES then  $\alpha_{stall}$ ,  $\alpha_{max}$  and  $\alpha_{depart}$  must be corrected by  $\Delta\alpha_{stall}$  multiplied with the fraction of deflection of the highlift device  $f_\delta$  (0.0 for no deflection, 1.0 for full deflection):

$$\begin{aligned}\alpha_{stall} &= \alpha_{stall} + f_\delta \Delta\alpha_{stall} \\ \alpha_{max} &= \alpha_{max} + f_\delta \Delta\alpha_{stall} \\ \alpha_{depart} &= \alpha_{depart} + f_\delta \Delta\alpha_{stall}\end{aligned}$$

Dynamic pressure:

$$\bar{q} = \frac{1}{2} \rho V_T^2$$

## Lift

**Beware: Post stall behaviour ( $\alpha > \alpha_{depart}$ ) is only guess work from my side!**

$$C_L = \begin{cases} C_{L0} + C_{L_a} \alpha & \text{if } \alpha < \alpha_{stall} \\ a\alpha^2 + b\alpha + c & \text{if } \alpha_{stall} < \alpha < \alpha_{max} \\ C_{Lmax} & \text{if } \alpha_{max} < \alpha < \alpha_{depart} \\ C_{Lmax} f_{StallLift}(\alpha) & \text{if } \alpha > \alpha_{depart} \end{cases} + C_{L_{\delta_c}} \delta$$

$$L = \bar{q} S C_L$$

## Drag

**Beware: Post stall behaviour ( $\alpha > \alpha_{depart}$ ) is only guess work from my side!**

$$C_D = \begin{cases} C_{D0} + C_{DL} & \text{if } \alpha < \alpha_{depart} \\ f_{StallDrag}(\alpha) C_{StallDrag} & \text{if } \alpha > \alpha_{depart} \end{cases} + C_{D_{\delta_c}} \delta$$

$$D = \bar{q} S C_D$$

## Sideforce

$$C_Y = C_{yb} \beta + \frac{b}{2V_T} [C_{Y_p} P + C_{Y_r} R] + C_{Y_{\delta_c}} \delta$$

$$D = \bar{q} S C_Y$$

## Pitch Moment

$$C_m = \frac{b}{2V_T} [C_{mq} Q + C_{m\dot{\alpha}} \dot{\alpha}] + \frac{f_{XacMach}(M)}{\bar{c}} (C_L \cos(\alpha) + C_D \sin(\alpha)) + C_{m_{\delta_c}} \delta$$

$$m = \bar{q} S \bar{c} C_m$$

## Roll Moment

$$C_l = C_{lb}\beta + \frac{b}{2V_T}[C_{lp}P + C_{lr}R] + \frac{Y_{mac}}{b}(C_L \cos(\alpha) + C_D \sin(\alpha)) + C_{l_{\delta c}} \delta$$

$$l = \bar{q} \bar{S} \bar{b} C_l$$

## **Yaw Moment**

$$C_n = C_{nb}\beta + \frac{b}{2V_T}[C_{np}P + C_{nr}R] + C_{n_{\delta c}} \delta$$

$$n = \bar{q} \bar{S} \bar{b} C_n$$